

## Warm Up

2/5

Simplify:

$$\frac{3^{-2} \cdot 3^3}{3^{-1}}$$

$$\frac{3^1 \cdot 3^3}{3^2} = \frac{3^4}{3^2} = 3^2$$

$$\frac{3^1 \cdot 3^3}{3^2} = \frac{3^3}{3} = 3^2$$

$$\frac{3^{-2} \cdot 3^3}{3^{-1}}$$

$$\frac{3^{-2} \cdot 3^3}{3^{-1}} = \frac{3^{-2+3}}{3^{-1}}$$

$$= \frac{3^1}{3^{-1}} = 3^{1-(-1)} = 3^2$$

# Wednesday Recap

The approximate total surface area of Earth is  $5.1 \times 10^8 \text{ km}^2$ . Salt water has an approximate surface area of  $352,000,000 \text{ km}^2$  and freshwater has an approximate surface area of  $9 \times 10^6 \text{ km}^2$ .

a. How much of the Earth's surface is covered by water (salt and fresh combined)?



$$\underline{352,000,000} + 9 \times 10^6 =$$

$$3.52 \times 10^8 + \underline{9 \times 10^6}$$

$$3.52 \times 10^8 + 0.09 \times 10^8 = 3.61 \times 10^8$$

b. How much of the Earth's surface is covered by land?



$$\begin{array}{ccc} 5.1 \times 10^8 & - & 3.61 \times 10^8 = 1.49 \times 10^8 \text{ km}^2 \\ \nearrow & \nearrow & \nearrow \\ \text{Total Area} & \text{Water Area} & \text{Land Area} \end{array}$$

c. Approximately how many times greater is the Earth's surface area that is covered by water, compared to the amount of the Earth's surface area that is covered by land?

$$\frac{\text{Water Area}}{\text{Land Area}} = \frac{3.61 \times 10^8}{1.49 \times 10^8} = 2.42 \text{ times as large}$$

Let's solve some word problems  
with scientific notation!

## Word Problem Key Words

Addition	Subtraction	Multiplication	Division
Add	By how much	Double, triple, <u>etc...</u>	Average
Added to	Change	In total (when a rate is involved)	Divided evenly
All together	Decreased by	Multiplied by	How many in each
And	Difference	Of	How many times bigger
Combined	Fewer	Product	How many times more
Gain	Greater than	Times	Per
In all	How many less	Total (groups)	Share equally
In total	How many more	Twice, three times, <u>etc...</u>	Split
Increase	How much left		
More	Left (leftover)		
Plus	Less		
Raise	Loss		
Sum of	Minus		
	Remaining		
	Reduce		
	Take away		

## **Word Problem 3-Reads**

**1<sup>st</sup> Read:** What is the problem about?

**2<sup>nd</sup> Read:** What am I trying to figure out?

**3<sup>rd</sup> Read:** What is the important  
information in this problem?

# Example 1

**1<sup>st</sup> Read:** What is the problem about?

The population of Crowded Town is  $4 \times 10^6$   
and the population of Empty Village is  $8 \times 10^3$ .  
How much larger is Crowded Town than Empty  
Village?

Populations of  
places

**2<sup>nd</sup> Read:** What am I trying to figure out?

The population of Crowded Town is  $4 \times 10^6$   
and the population of Empty Village is  $8 \times 10^3$ .  
How much larger is Crowded Town than Empty  
Village?

Last sentence is  
usually what we  
are looking for.



**3<sup>rd</sup> Read:** What is the important information in this problem?

The population of Crowded Town is  $4 \times 10^6$   
and the population of Empty Village is  $8 \times 10^3$ .  
How much larger is Crowded Town than Empty Village?

$$4 \times 10^6 - 8 \times 10^3$$

$$4 \times 10^6 - 0.008 \times 10^6$$

$$3.992 \times 10^6$$

# Example 2

**1<sup>st</sup> Read:** What is the problem about?

The population of Crowded Town is  $4 \times 10^6$   
and the population of Empty Village is  $8 \times 10^3$ .  
How many times larger is the population of  
Crowded Town than Empty Village?

*2 villages, 2 different sizes*

**2<sup>nd</sup> Read:** What am I trying to figure out?

The population of Crowded Town is  $4 \times 10^6$   
and the population of Empty Village is  $8 \times 10^3$ .  
How many times larger is the population of  
Crowded Town than Empty Village?

*How many times larger*

*Last sentence*

**3<sup>rd</sup> Read:** What is the important information in this problem?

The population of Crowded Town is  $4 \times 10^6$   
and the population of Empty Village is  $8 \times 10^3$ .  
How many times larger is the population of  
Crowded Town than Empty Village?

$$\frac{4 \times 10^6}{8 \times 10^3} = 0.5 \times 10^3$$
$$= 5 \times 10^2$$

# Example 3

**1<sup>st</sup> Read:** What is the problem about?

An airplane traveled  $5.7 \times 10^2$  miles per hour for  $2.0 \times 10^1$  hours. How far did the airplane travel?

*Airplane travel*

**2<sup>nd</sup> Read:** What am I trying to figure out?

An airplane traveled  $5.7 \times 10^2$  miles per hour for  $2.0 \times 10^1$  hours. How far did the airplane travel?



**3<sup>rd</sup> Read:** What is the important information in this problem?

An airplane traveled  $5.7 \times 10^2$  miles per hour for  $2.0 \times 10^1$  hours. How far did the airplane travel?

$$\frac{5.7 \times 10^2 \text{ miles}}{\text{hour}} \cdot \frac{2 \times 10^1 \text{ hours}}{1}$$

$$11.4 \times 10^3 \text{ miles}$$

$$1.14 \times 10^4 \text{ miles}$$

You can also create forms of one with units which helps with our answers.

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### Scientific Notation Word Problems

Show all work as you solve the problems. **All final answer must be in correct scientific notation form.**

1. Suppose there are  $5 \times 10^6$  bacteria in every liter of water. How many bacteria are there in 12 liters of water?
2. A TV show had  $3.5 \times 10^6$  viewers for their first episode and  $8.5 \times 10^6$  viewers for their second episode. How many viewers did they have overall?
3. In 2013 the Los Angeles Dodgers opening day payroll was about  $\$2.16 \times 10^8$  and the Houston Astros opening day payroll was about  $\$2.4 \times 10^7$ . How much higher was the Dodgers' payroll?
4. The population of the United States is  $3 \times 10^8$  and the population of the world is  $7 \times 10^9$ . How many times larger is the population of the world than the U.S.?
5. The population of Mathville is  $8.4 \times 10^3$ . The population of Algeville is  $1.3 \times 10^4$ . How many more people are there in Algeville?
6. If the speed of light is  $3 \times 10^8$  meters/second, how many seconds does it take light to reach the Earth, if the sun is  $1.5 \times 10^{11}$  meters from Earth?

## **Homework**

Finish front side of worksheet